

## 4

SQUARES AND SQUARE  
ROOTS

**Q1. Find whether the square root of the following perfect squares will be even or odd:**

	Number		Odd/Even
a.	14641	:	_____
b.	10404	:	_____
c.	784	:	_____
d.	8649	:	_____

**Q2. Find the smallest number by which each of the following numbers should be divided to make it a perfect square and fill in the blanks:**

- a. 48600  
 $48600 \div \underline{\quad} = \underline{\quad}$  is a perfect square
- b. 15120  
 $15120 \div \underline{\quad} = \underline{\quad}$  is a perfect square

**Q3. Find the square root of the following, using long division method.**

- a.  $\sqrt{7056} = \underline{\hspace{2cm}}$
- b.  $\sqrt{33124} = \underline{\hspace{2cm}}$
- c.  $\sqrt{842724} = \underline{\hspace{2cm}}$

**Q4. Find the smallest and the greatest 4-digit number which is a perfect square.**

- a. Smallest 4-digit number which is a perfect square : \_\_\_\_\_
- b. Greatest 4-digit number which is a perfect square : \_\_\_\_\_

**Q5. Find the least number which is divisible by 24, 14 and 16, and is a perfect square also.**

Answer: \_\_\_\_\_

**Q6. Simplify:**

a.  $\sqrt{\frac{324}{9}} + \sqrt{256} - \sqrt{1936}$

Answer: \_\_\_\_\_

b.  $\left[ (-21)^2 \times \sqrt{\frac{144}{9}} \right] + 6^2$

Answer: \_\_\_\_\_

**Q7. 15,376 packets of refreshments were distributed to the participants of a television reality show. If each box contained the same number of packets as there were number of boxes, find the number of refreshment packets in each box.**

Answer: \_\_\_\_\_

**Q8. Find the square root of the following:**

a. 453.69 : \_\_\_\_\_

b. 152.7696 : \_\_\_\_\_

**Q9. Find the product, without actual multiplication, and fill in the blanks:**

a. If  $(16.1)^2 = 259.21$ ; then  $(1.61)^2 =$  \_\_\_\_\_ .

b. If  $(213)^2 = 45369$ ; then  $(21.3)^2 =$  \_\_\_\_\_ .

c. If  $(0.76)^2 = 0.5776$ ; then  $(7.6)^2 =$  \_\_\_\_\_ .

**Q10. Find the value of  $\sqrt{3}$  upto 3 decimal places. Simplify and find the value**

**of  $\sqrt{\frac{2-\sqrt{3}}{2+\sqrt{3}}}$ :**

$$\sqrt{3} = \underline{\hspace{2cm}}$$

$$\sqrt{\frac{2-\sqrt{3}}{2+\sqrt{3}}} = \underline{\hspace{2cm}}$$

## Answers

1. a. Odd; b. Even; c. Even; d. Odd
2. a.  $48600 \div 6 = 8100$  is a perfect square;  
b.  $15120 \div 105 = 144$  is a perfect square
3. a. 84; b. 182; c. 918
4. a. 1024; b. 9801
5. 7056
6. a. -22; b. 1800
7. 124 refreshment packets
8. a. 21.3 ; b. 12.36
9. a. 2.5921; b. 453.69; c. 57.76
10.  $\sqrt{3} = 1.732$   
 $\sqrt{\frac{2-\sqrt{3}}{2+\sqrt{3}}} = 0.268$